

# NAG C Library Function Document

## nag\_frequency\_table (g01aec)

### 1 Purpose

nag\_frequency\_table (g01aec) constructs a frequency distribution of a variable, according to either user-supplied, or routine-calculated class boundary values.

### 2 Specification

```
void nag_frequency_table(Integer n, const double x[], Integer num_class,
    Nag_ClassBoundary class, double cint[], Integer ifreq[],
    double *xmin, double *xmax, NagError *fail)
```

### 3 Description

The data consists of a sample of  $n$  observations of a continuous variable, denoted by  $x_i$ , for  $i = 1, 2, \dots, n$ . Let  $a = \min(x_1, \dots, x_n)$  and  $b = \max(x_1, \dots, x_n)$ . The routine constructs a frequency distribution with  $k$  ( $> 1$ ) classes denoted by  $f_i$ , for  $i = 1, 2, \dots, k$ . The boundary values may be either user-supplied, or routine-calculated, and are denoted by  $y_j$ , for  $j = 1, 2, \dots, k-1$ .

If the boundary values of the classes are to be routine-calculated, then they are determined in one of the following ways:

- (a) If  $k > 2$ , the range of  $x$  values is divided into  $k - 2$  intervals of equal length, and two extreme intervals, defined by the class boundary values  $y_1, y_2, \dots, y_{k-1}$ .
- (b) If  $k = 2$ ,  $y_1 = \frac{1}{2}(a + b)$ .

However formed, the values  $y_1, \dots, y_{k-1}$  are assumed to be in ascending order. The class frequencies are formed with

$$\begin{aligned}f_1 &= \text{the number of } x \text{ values in the interval } (-\infty, y_1) \\f_i &= \text{the number of } x \text{ values in the interval } [y_{k-1}, y_k), \quad i = 2, \dots, k-1 \\f_k &= \text{the number of } x \text{ values in the interval } [y_{k-1}, \infty),\end{aligned}$$

where [ means inclusive, and ) means exclusive. If the class boundary values are routine-calculated and  $k > 2$ , then  $f_1 = f_k = 0$ , and  $y_1$  and  $y_{k-1}$  are chosen so that  $y_1 < a$  and  $y_{k-1} > b$ .

If a frequency distribution is required for a discrete variable, then it is suggested that the user supplies the class boundary values; routine-calculated boundary values may be slightly imprecise (due to the adjustment of  $y_1$  and  $y_{k-1}$  outlined above) and cause values very close to a class boundary to be assigned to the wrong class.

### 4 Parameters

1: **n** – Integer *Input*

*On entry:* the number of observations,  $n$ .

*Constraint:*  $\mathbf{n} \geq 1$ .

2: **x[n]** – const double *Input*

*On entry:* the sample of observations of the variable for which the frequency distribution is required,  $x_i$ , for  $i = 1, 2, \dots, n$ . The values may be in any order.

3:	<b>num_class</b> – Integer	<i>Input</i>
<i>On entry:</i> the number of classes desired in the frequency distribution, $k$ . Whether or not class boundary values are user-supplied, <b>num_class</b> must include the two extreme classes which stretch to $\pm\infty$ .		
<i>Constraint:</i> <b>num_class</b> $\geq 2$ .		
4:	<b>class</b> – Nag_ClassBoundary	<i>Input</i>
<i>On entry:</i> indicates whether class boundary values are to be calculated within the routine, or are supplied by the user.		
If <b>class</b> = Nag_ClassBoundaryComp, then the class boundary values are to be calculated within the routine.		
If <b>class</b> = Nag_ClassBoundaryUser, they are user-supplied.		
<i>Constraint:</i> <b>class</b> = Nag_ClassBoundaryUser or Nag_ClassBoundaryComp.		
5:	<b>cint[num_class–1]</b> – double	<i>Input/Output</i>
<i>On entry:</i> if <b>class</b> = 0, then the elements of <b>cint</b> need not be assigned values, as the routine calculates $k - 1$ class boundary values.		
If <b>class</b> = 1, the first $k - 1$ elements of <b>cint</b> must contain the user-supplied class boundary values, in ascending order.		
<i>On exit:</i> the first $k - 1$ elements of <b>cint</b> contain the class boundary values in ascending order.		
<i>Constraint:</i> if <b>class</b> = 1, <b>cint</b> [ $i - 1$ ] < <b>cint</b> [ $i$ ], for $i = 1, 2, \dots, k - 2$ .		
6:	<b>ifreq[num_class]</b> – Integer	<i>Output</i>
<i>On exit:</i> the elements of <b>ifreq</b> contain the frequencies in each class, $f_i$ , for $i = 1, 2, \dots, k$ . In particular <b>ifreq</b> (1) contains the frequency of the class up to <b>cint</b> (1), $f_1$ , and <b>ifreq</b> [ $k - 1$ ] contains the frequency of the class greater than <b>cint</b> [ $k - 2$ ], $f_k$ .		
7:	<b>xmin</b> – double *	<i>Output</i>
<i>On exit:</i> the smallest value in the sample, $a$ .		
8:	<b>xmax</b> – double *	<i>Output</i>
<i>On exit:</i> the largest value in the sample, $b$ .		
9:	<b>fail</b> – NagError *	<i>Input/Output</i>
The NAG error parameter (see the Essential Introduction).		

## 5 Error Indicators and Warnings

### NE\_INT\_ARG\_LT

On entry, **num\_class** must not be less than 2: **num\_class** =  $<\text{value}>$ .

On entry, **n** must not be less than 1: **n** =  $<\text{value}>$ .

### NE\_BAD\_PARAM

On entry, parameter **class** had an illegal value.

### NE\_NOT\_STRICTLY\_INCREASING

The sequence **cint** is not strictly increasing: **cint**[ $<\text{value}>$ ] =  $<\text{value}>$ , **cint**[ $<\text{value}>$ ] =  $<\text{value}>$ .

**NE\_INTERNAL\_ERROR**

An internal error has occurred in this function. Check the function call and any array sizes. If the call is correct then please consult NAG for assistance.

## 6 Further Comments

The time taken by the routine increases with **num\_class** and **n**. It also depends on the distribution of the sample observations.

### 6.1 Accuracy

The method used is believed to be stable.

### 6.2 References

None.

## 7 See Also

None.

## 8 Example

In the example program, **nprob** determines the number of sets of data to be analysed. For each analysis the sample observations and optionally class boundary values, are read. After calling the routine the calculated frequency distribution and largest and smallest observations values are printed. In the example, there is one problem to be analysed, with 70 observations to be grouped into 5 routine-calculated classes.

### 8.1 Program Text

```
/* nag_frequency_table (g01aec) Example Program.
*
* Copyright 2000 Numerical Algorithms Group.
*
* Mark 6, 2000.
*/
#include <stdio.h>
#include <nag.h>
#include <nag_stdlb.h>
#include <nagg01.h>

int main(void)
{
    double xmin, xmax, *a=0, *c=0;
    Integer i, iclass, j, *jfreq=0, num_class, n, nprob;
    Integer exit_status=0;
    Nag_ClassBoundary iclass_enum;
    NagError fail;

    INIT_FAIL(fail);
    Vprintf("g01aec Example Program Results\n\n");

/* Skip heading in data file */
    Vscanf("%*[^\n] ");
    Vscanf("%ld", &nprob);
    for (i = 1; i <= nprob; ++i)
    {
        if (fail)
            break;
        if (iclass_enum == Nag_Classes)
            iclass = 1;
        else
            iclass = 0;
        if (jfreq)
            jfreq[i-1] = 0;
        if (a)
            a[i-1] = 0;
        if (c)
            c[i-1] = 0;
    }
}
```

```

Vscanf("%ld %ld %ld", &n, &iclass, &num_class);
if (!(a = NAG_ALLOC(n, double))
   || !(c = NAG_ALLOC(num_class-1, double))
   || !(jfreq = NAG_ALLOC(num_class, Integer)))
{
    Vprintf("Allocation failure\n");
    exit_status = -1;
    goto END;
}
for (j = 1; j <= n; ++j)
    Vscanf("%lf", &a[j - 1]);
Vprintf("Problem %ld\n", i);
Vprintf("Number of cases %ld\n", n);
Vprintf("Number of classes, including extreme classes %ld\n", num_class);
if (iclass != 1)
    Vprintf("Routine-supplied class boundaries\n\n");
else
{
    for (j = 1; j <= num_class-1; ++j)
        Vscanf("%lf", &c[j - 1]);
    Vprintf("User-supplied class boundaries\n");
}
if (iclass == 1)
    iclass_enum = Nag_ClassBoundaryUser;
else if (iclass == 0)
    iclass_enum = Nag_ClassBoundaryComp;
else
    iclass_enum = (Nag_ClassBoundary)-999;
g01aec(n, a, num_class, iclass_enum, c, jfreq, &xmin, &xmax, &fail);
if (fail.code == NE_NOERROR)
{
    Vprintf("Successful call of G01AEF\n\n");
    Vprintf("*** Frequency distribution ***\n\n");
    Vprintf("      Class          Frequency\n\n");
    Vprintf("      Up to    %8.2f %lld\n", c[0], jfreq[0]);
    if (num_class-1 > 1)
    {
        for (j = 2; j <= num_class-1; ++j)
            Vprintf("%8.2f to %8.2f %lld\n", c[j - 2], c[j - 1], jfreq[j - 1]);
    }
    Vprintf("%8.2f      and over    %ld\n\n", c[num_class - 2], jfreq[num_class-1]);
    Vprintf("Total frequency = %ld\n", n);
    Vprintf("Minimum = %9.2f\n", xmin);
    Vprintf("Maximum = %9.2f\n", xmax);
}
else
{
    Vprintf("Error from g01aec.\n%s\n", fail.message);
    exit_status = 1;
    goto END;
}
}
END:
if (a) NAG_FREE(a);
if (c) NAG_FREE(c);
if (jfreq) NAG_FREE(jfreq);
return exit_status;
}

```

## 8.2 Program Data

g01aec Example Program Data

```

1
    70      0        7
22.3   21.6   22.6   22.4   22.4   22.4   22.1   21.9   23.1   23.4
23.4   22.6   22.5   22.5   22.1   22.6   22.3   22.4   21.8   22.3
22.1   23.6   20.8   22.2   23.1   21.1   21.7   21.4   21.6   22.5
21.2   22.6   22.2   22.2   21.4   21.7   23.2   23.1   22.3   22.3
21.1   21.4   21.5   21.8   22.8   21.4   20.7   21.6   23.2   23.6
22.7   21.7   23.0   21.9   22.6   22.1   22.2   23.4   21.5   23.0
22.8   21.4   23.2   21.8   21.2   22.0   22.4   22.8   23.2   23.6

```

## 8.3 Program Results

g01aec Example Program Results

```

Problem 1
Number of cases 70
Number of classes, including extreme classes 7
Routine-supplied class boundaries

```

Successful call of g01acc

\*\*\* Frequency distribution \*\*\*

Class	Frequency
Up to 20.70	0
20.70 to 21.28	6
21.28 to 21.86	16
21.86 to 22.44	21
22.44 to 23.02	14
23.02 to 23.60	13
23.60 and over	0

Total frequency = 70

Minimum = 20.70

Maximum = 23.60